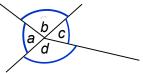
#### **Topic Check In - 8.03 Angles**

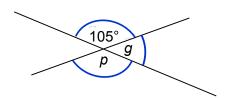
1. Complete the statement.

 $a + b + c + d = \dots$ 

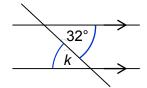


2. Find angle p.

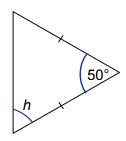
3. Find angle g.



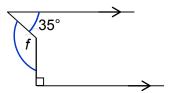
4. Find angle k.



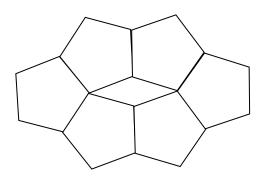
5. Work out angle h.



6. Show that angle  $f = 125^{\circ}$ .



7. The diagram shows a pattern of identical regular pentagons and a rhombus.



One of the angles of the rhombus is 36°.

Use this information to work out the size of an interior angle of a regular pentagon. Show your working.





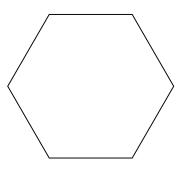
8. The shape opposite is a regular hexagon.

Jan says,

"The hexagon is regular so all the angles are the same.

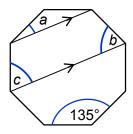
That makes each interior angle  $\frac{360}{6} = 60^{\circ}$ ."

What mistakes has Jan made?



- 9. Four of the exterior angles of a pentagon are the same. The fifth angle is 60°. Calculate the size of one of the other exterior angles.
- 10. The shape opposite is a regular octagon.

Calculate the sizes of angles *a*, *b* and *c*. Give reasons for the steps in your working.



#### **Extension**

A robot moves forward 5 cm and then turns clockwise through a set angle. It then moves forward another 5 cm and turns through the same angle. After a number of turns it returns to the starting point, marking out a regular decagon (10-sided shape).

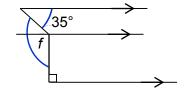
- (a) Find the size of the angle turned.
- (b) Find the number of sides drawn for angles of (i)  $40^{\circ}$ , (ii)  $2^{\circ}$ , (iii)  $p^{\circ}$ .
- (c) Does your answer to (b)(iii) work for all values of *p*? Explain your answer as fully as possible.
- (d) Will any closed shape be a polygon?

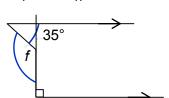




#### **Answers**

- 1. 360°
- 2. 105°
- 3. 75°
- 4. 32°
- 5. 65°
- 6. Using parallel lines  $90 + 35 = 125^{\circ}$  or Using right-angled triangle  $180 (180 (90 + 35)) = 125^{\circ}$





7. One angle of the pentagon = x.

$$3x + 36 = 360$$
  $\therefore x = \frac{360 - 36}{3} = 108^{\circ}$ 

8. First statement is correct.

Second statement refers to EXTERIOR angles, therefore each interior angle is  $180 - 60 = 120^{\circ}$ .

- 9. If x = the unknown exterior angle, the solution to 60 + 4x = 360 is x = 75°.
- 10.  $a = (180 135) \div 2 = 22.5^{\circ}$  (base angle of an isosceles triangle).

Line of symmetry so  $b = c = \frac{135}{2} = 67.5^{\circ}$ .

#### **Extension**

- (a)  $360 \div 10 = 36^{\circ}$
- (b) (i)  $360 \div 40 = 9$  sides (ii)  $360 \div 2 = 180$  sides (iii)  $\frac{360}{p}$
- (c) No, if  $\frac{360}{p}$  is not an integer then the polygon will be incomplete.
- (d) Some values over 90° will mean that a star is created (e.g. an angle of 144° creates a 5 pointed star).

However, 120° creates an equilateral triangle.









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Assessment Objective	Qu.	Topic	R	Α	G
AO1	1	Sum of angles at a point is 360°.			
AO1	2	Vertically opposite angles are equal.			
AO1	3	Sum of angles at a point on a straight line is 180°.			
AO1	4	Alternate angles are equal.			
AO1	5	Angles in isosceles triangles.			
AO2	6	Deduce the size of angles between pairs of parallel lines.			
AO2	7	Interpret diagrams to deduce the size of angles.			
AO2	8	Understand the rules for interior and exterior angles of polygons.			
AO3	9	Form and solve equations using the angle properties of polygons.			
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